

Mein Semester-Studium an der Otto- von-Guericke Universität in 2014–2015.



Wie läuft das Studiumprozess?

1 step

- Scoring system in OvGU vs BSU
- Possible forms of examinations
- Advices for successful graduation



2 step

Mathematics

- Combinatorial optimization
- Algebraic Number Theory

3 step

Computer Science

- Swarm intelligence
- Biometrics and security

4 step

Your questions?

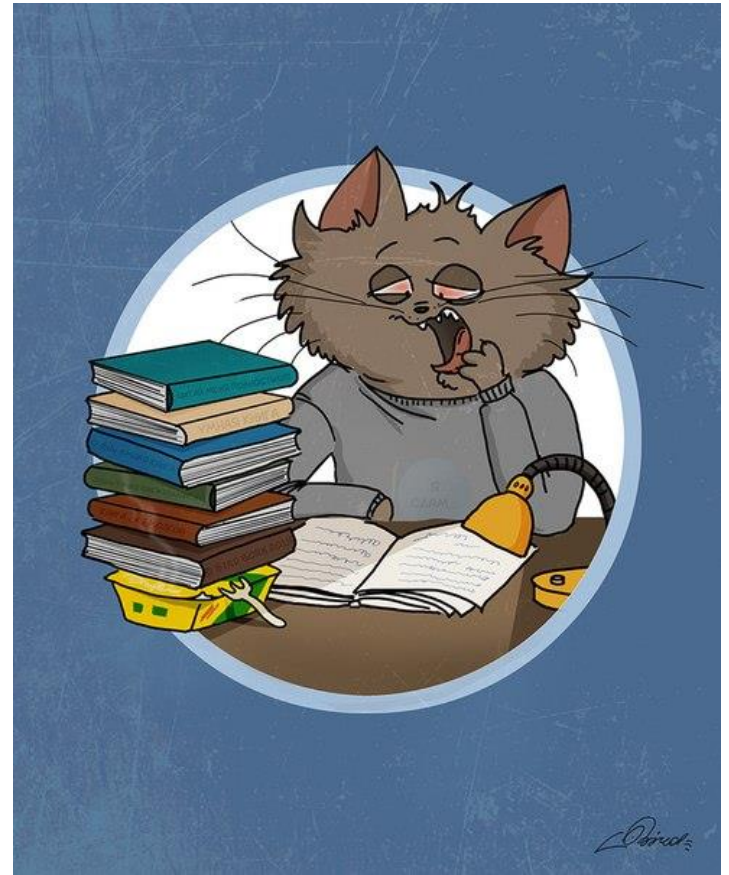
GOAL:

**Successful semester
graduation!**



General info:

- What is the point system?
- What does it mean to pass an exam successfully?
- What does it mean to graduate a semester?



Belarus

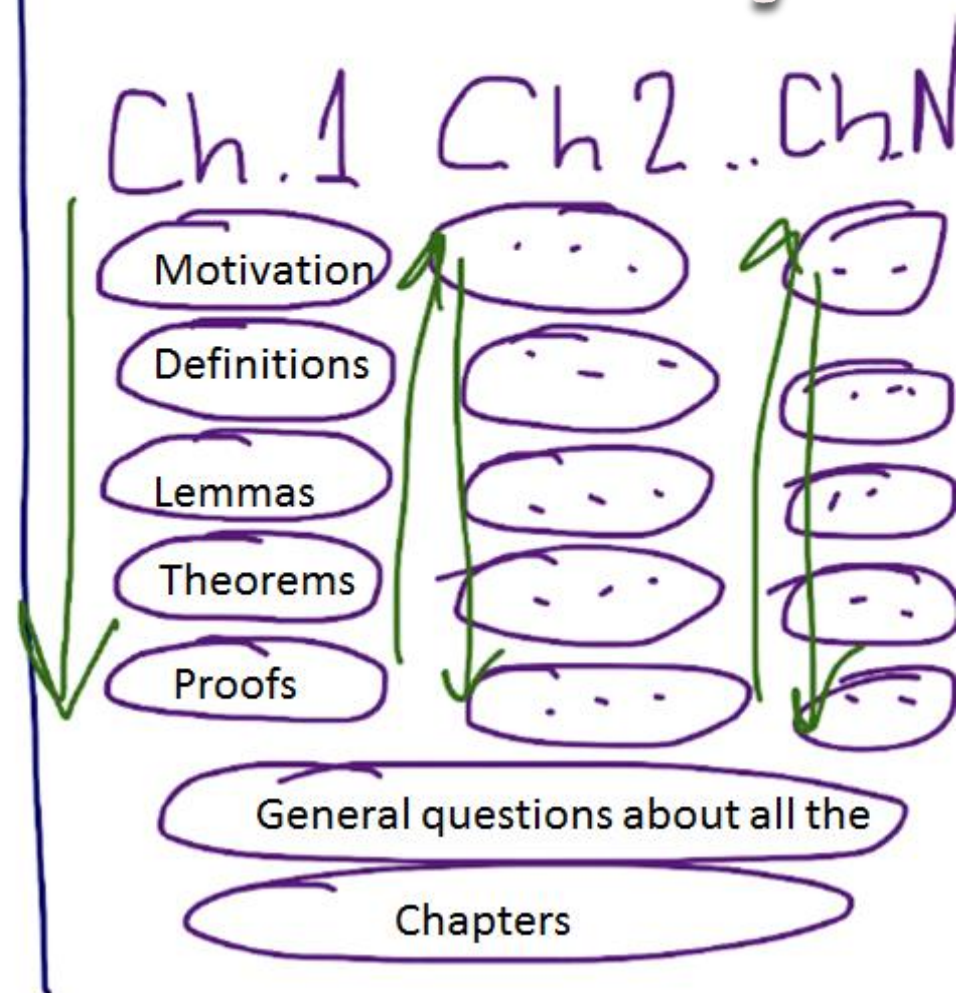
1	2	3	...	10			
5.0	4.7	4.3	...	2.0	1.7	1.3	1.0
↓ Worst mark			OK Germany				↓ Best mark

Exam

Belarus

- N randomly taken questions

Germany



Point system

Basically in OvGU you study 2 types of subjects:

- Mathematics
- Informatics

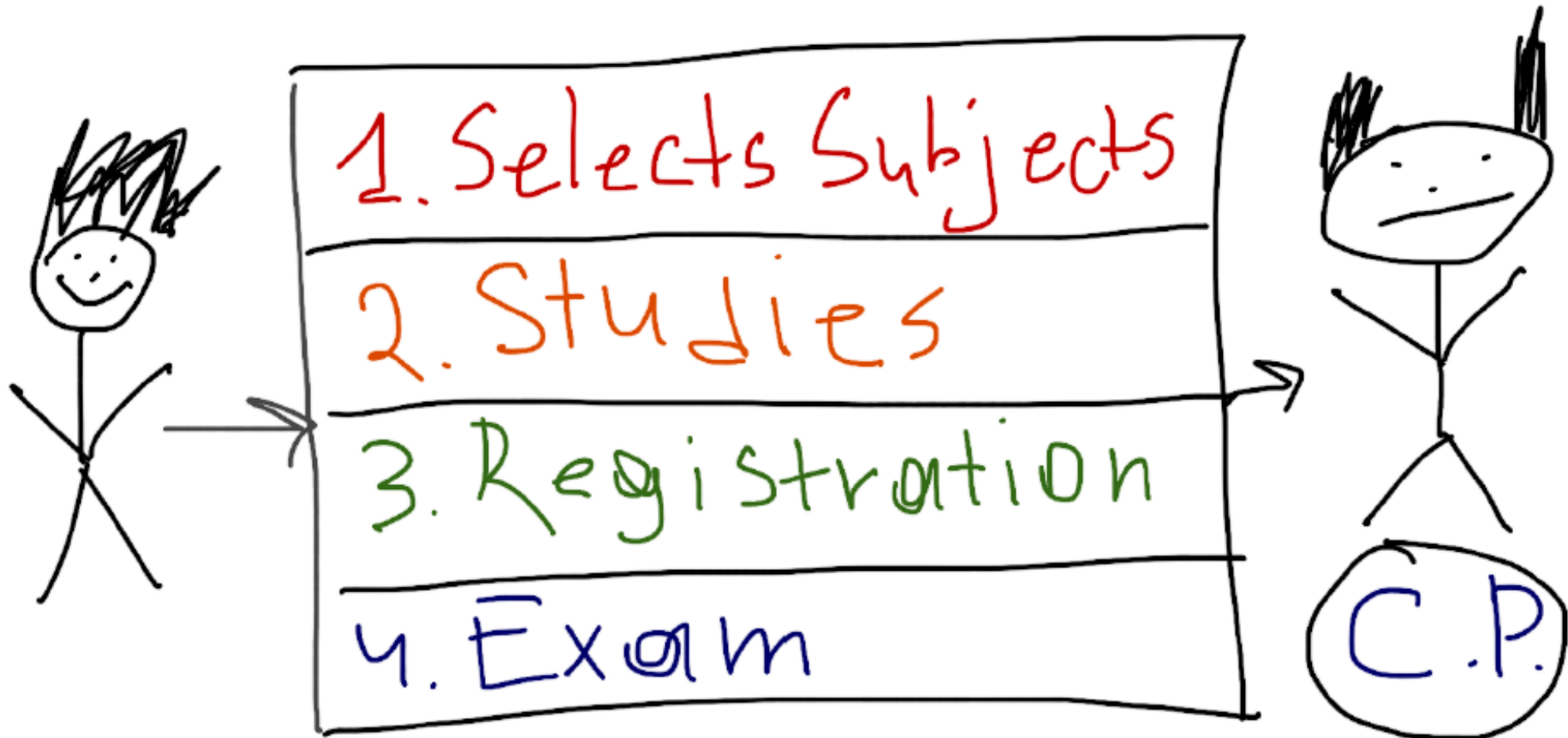
$$\text{Credit_Points}(\text{mark}, \text{type}) := \begin{cases} 9.0, & \text{mark} \leq 4.0 \text{ and } \text{type} = \text{Math.} \\ 6.0, & \text{mark} \leq 4.0 \text{ and } \text{type} = \text{Inf.} \\ 0, & \text{mark} > 4.0 \end{cases}$$

To pass Examinations successfully:

$$\sum_{marks} \sum_{types} Credit_Points(marks, types) \geq 30$$

30 is ENOUGH!

Educational process



Subjects' selection

**Basically a list
of subjects
provided by
Prof.Girlich**



**You
manually
select all
the
interesting
subjects**

Advantages

+

- You study only that subjects, which you want
=> High motivation!



Disadvantages

-

Timetable problem:

- You can't select 2 subjects at one and the same time;
- “Windows” in a timetable (2classes:
first 7.00 – 9.00
second 13.00 – 15.00)

Study

- Attend lectures and exercises
- Do homework (basically without testing the presence)
- Basically no preliminary tests and admissions for exams (but there are some exceptions)



Registration

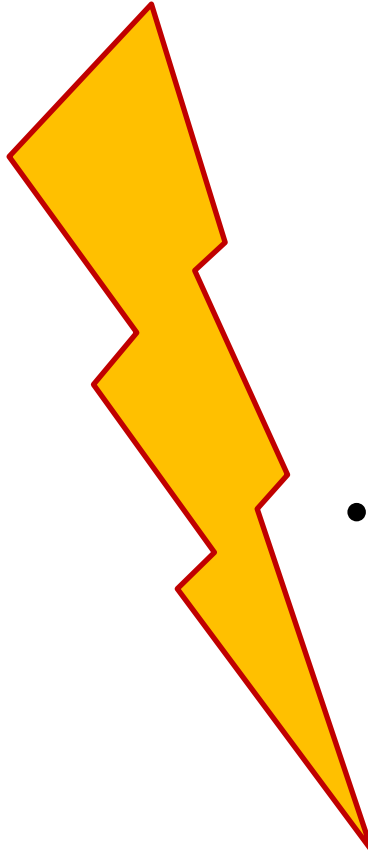
- Fill (web) form
- Make (web) query



Exam

Mathematics

- Orally in German or English (or mixed)
- Duration of the exam $\approx$ 30 – 40 min



Informatics

- (computer science)
- Written ($\approx$ centralized test)
 - Referat ($\approx$ course work)

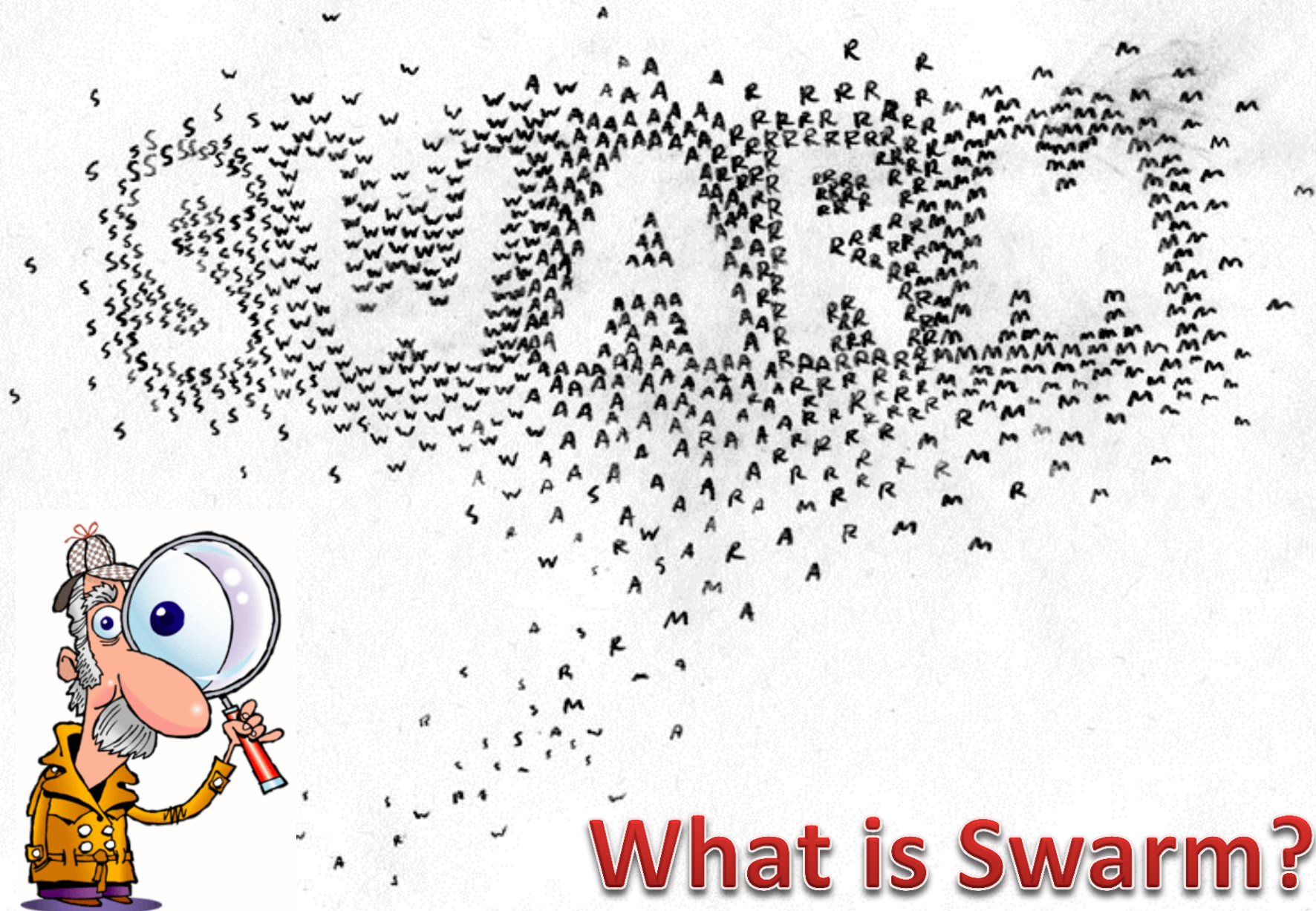
Computer Science

- **Swarm Intelligence**
- **Biometrics and Security**



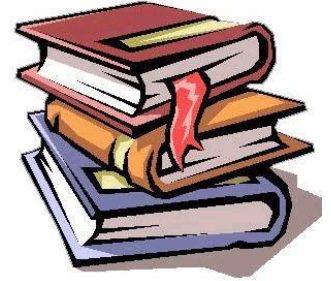


Swarm Intelligence



What is Swarm?

Main topics



Part 1: Fundamentals of swarm intelligence

- Swarm stability and stability analysis
 - Swarm aggregation
 - Swarm in known environments
- Swarm in unknown environments: Particle Swarm Optimization
 - Dynamic Optimization
- Multi-Objective Particle Swarm Optimization

Part 2: Swarm and multi-agent systems

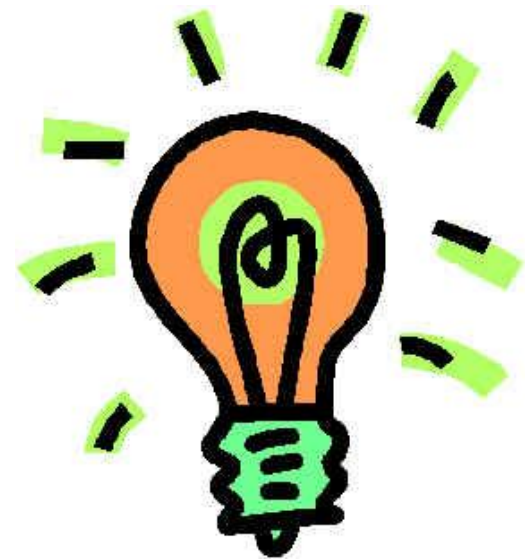
- Division of labor and task allocation
 - Swarm clustering and sorting
 - Ant systems and optimization



Part 3: Applications

- Swarm localization and display
 - Swarm robotics
 - (Self-assembly swarm)

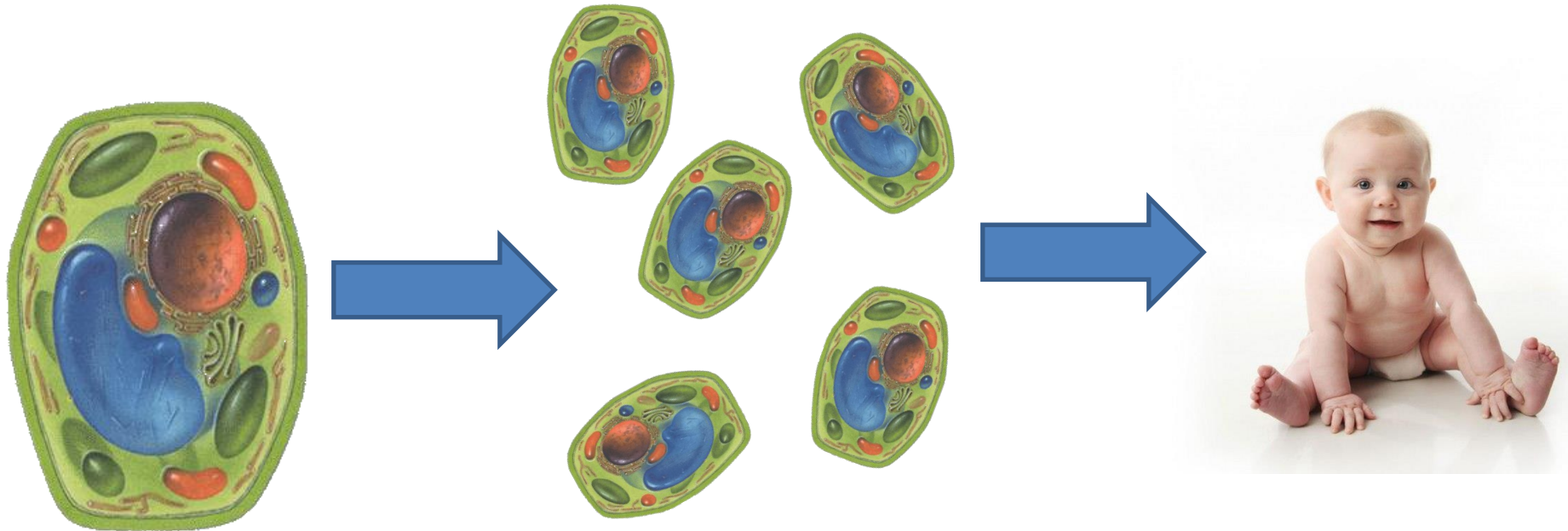
What is Swarm Intelligence?



- A collective behavior of
- simple entities
- having simple rules with
- ability of local interactions.

“The whole is more than the sum of its parts!”

Emergence effect



Global behavior

Did you say “Swarm model”?

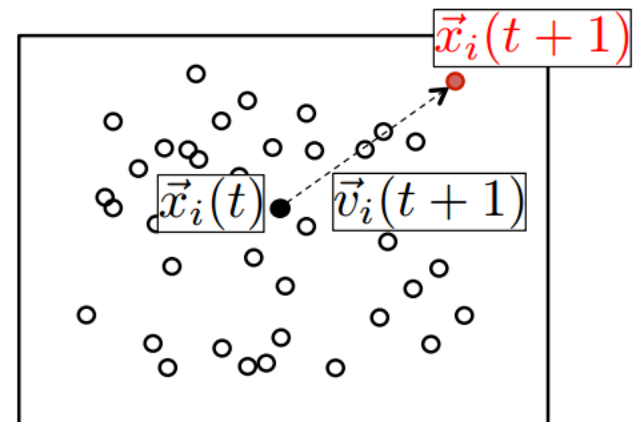
SI-2-4

The swarm model

- Consider a swarm of M individuals in an n -dimensional space.
- We model the individuals as points and ignore their dimensions.
- The position of member i of the swarm at time t is described by $\vec{x}_i(t) \in \mathbb{R}^n$
- Assume synchronous motions, no time delays and a *fully connected network*
- The equations of motion (*Kinematics*) for individual i :

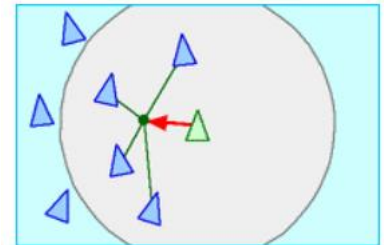
$$\vec{x}_i(t+1) = \vec{x}_i(t) + \vec{v}_i(t+1)$$

$$\vec{v}_i(t+1) = w\vec{v}_i(t) + \vec{f}_i$$

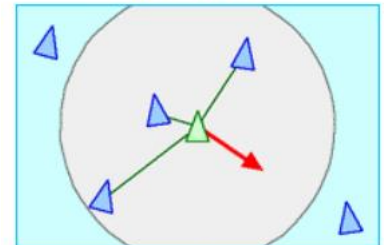


What about rules?

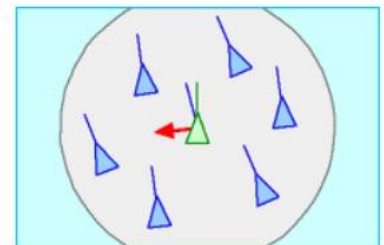
1. **Attraction (Cohesion):** steer to move towards the average position of local flock-mates
2. **Repulsion (Separation):** steer to avoid crowding local flock-mates
3. **Alignment:** steer towards the average heading of local flock-mates



Attraction



Repulsion



Alignment

Examples of SO:

Economy:

Stock markets regulate the relative prices of companies without central control.

Traffic:

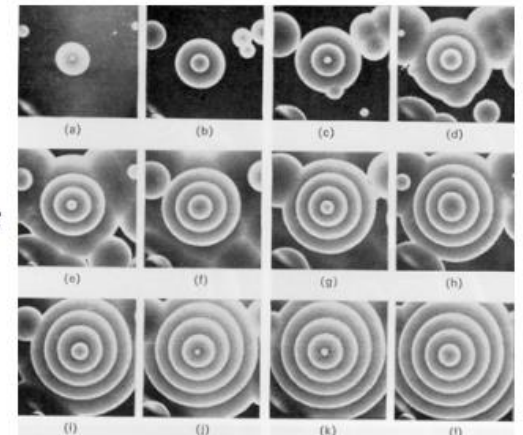
Highway traffic organizes itself, might lead to traffic jams.

Internet:

Traffic control and routing use methods which adapt to properties of local views of the system.

Mathematics, Chemistry, Physics:

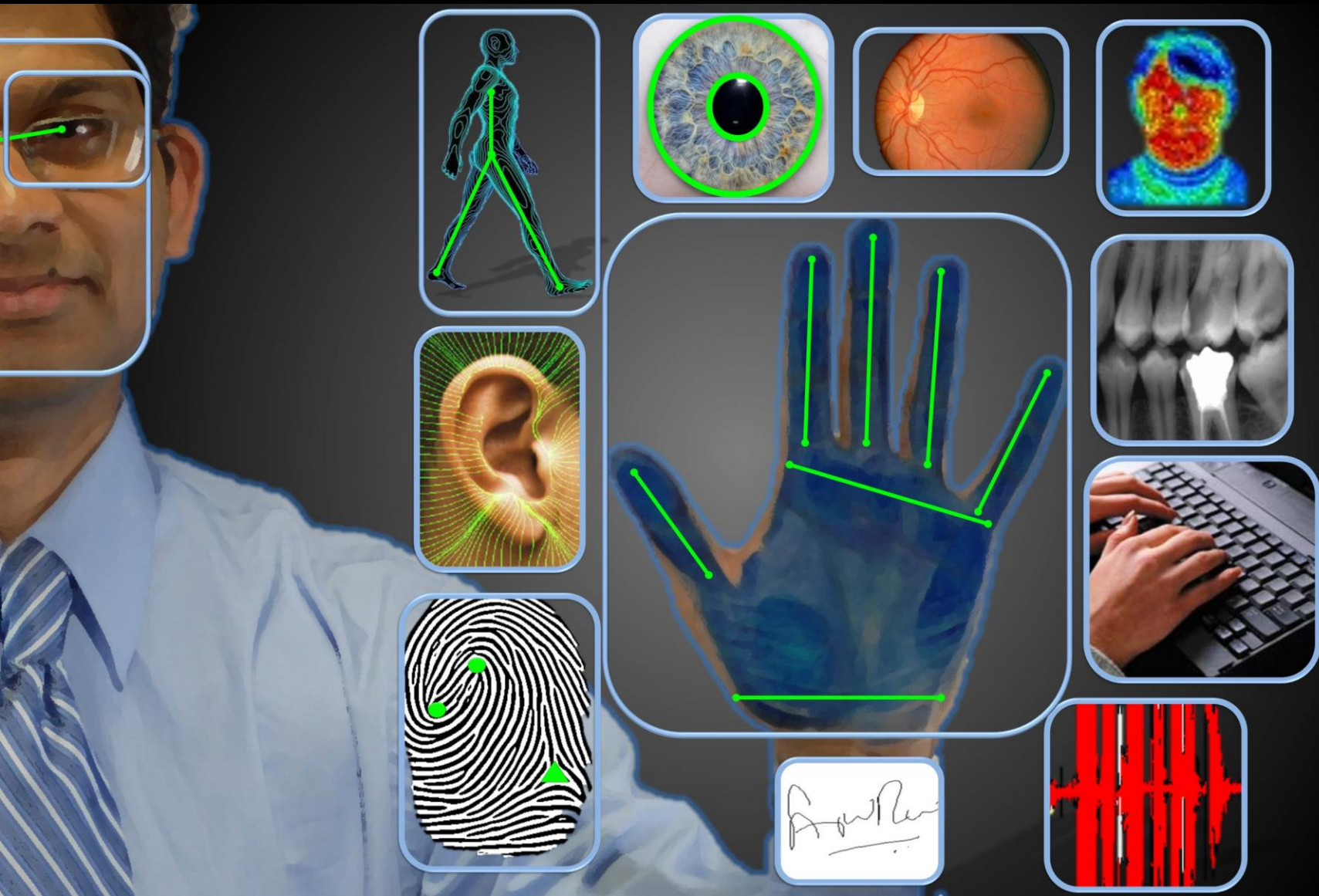
- Simple rules lead to complex patterns
- The Belousov-Zhabotinsky reaction is a family of oscillating chemical reactions.



Is it necessary?



Biometrics and security



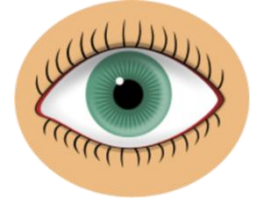


Concept

- Lecture
 - Weekly
 - Video Projector (Slides) – Note: Slides should be used as script!
 - Whiteboard, Tablet PC
 - English slide versions: Work in Progress .
 - Students presentation to selected topics and discussion within the course – Referat Presentation
- Exercise for work on individual topic for Referat:
<https://omen.cs.uni-magdeburg.de/einschreiben/>
 - Registration and selection of your topic at first exercise (exercises start on 16.10.14: select your topic and collect your related references)
 - Milestones will be introduced in the first exercise



Lecture notes



[Part 1](#) (Introduction and Fundamentals)

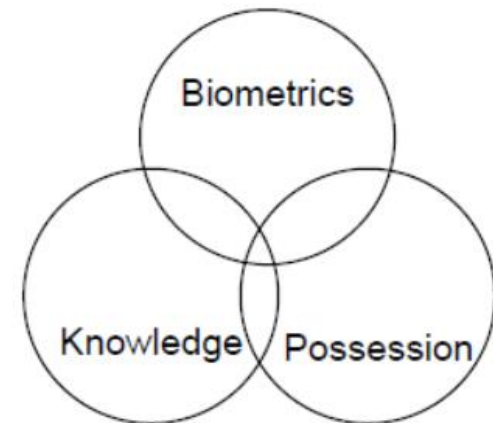
- [Part 2](#) (Speech and Handwriting)
- [Part 3](#) (Gait, Keystroke Dynamics and Lip Movement)
 - [Part 4](#) (Fingerprint)
 - [Part 5](#) (Iris)
 - [Part 6](#) (Face)
 - [Part 7](#) (Rest)





Biometrics and Security

- Biometric System:
 - system for the purpose of the automated recognition of individuals based on their behavioural and biological characteristics
- Use Cases: **User Authentication**
 - Advantage
 - Directly linked with person's body or behavior
 - Misuse by third person not possible in an easy way
 - Authentication by **Verification** or **Identification**
 - Problem:
 - Error Rates (false positives and false negatives) and
 - They can only be obtained statistically → Large Test Sets
 - Immitations, fakes, replays, impersonation etc.

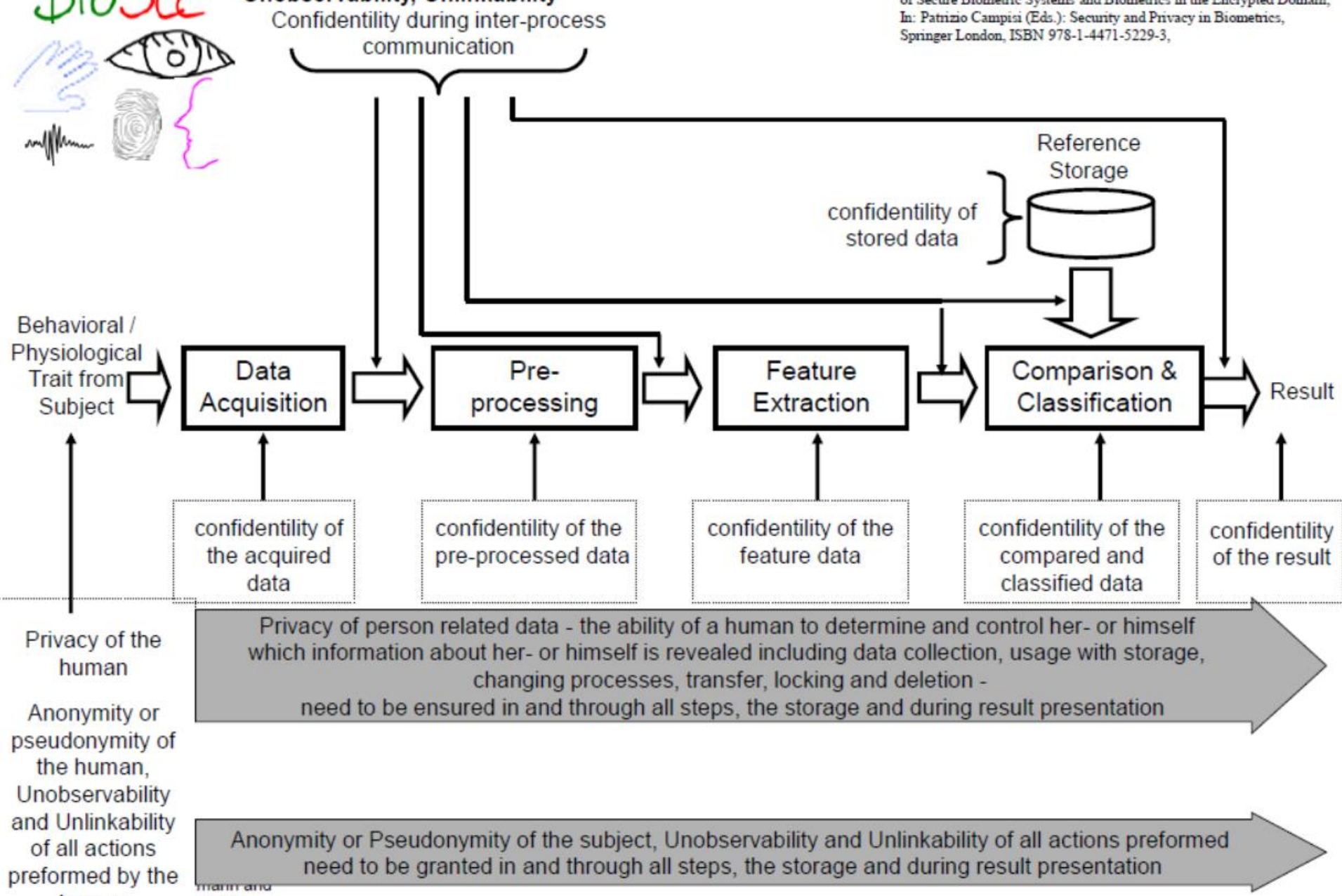


See: <http://www.3dface.org/media/vocabulary.html> or
<http://www.christoph-busch.de/standards.html> , website request 7.10.2013

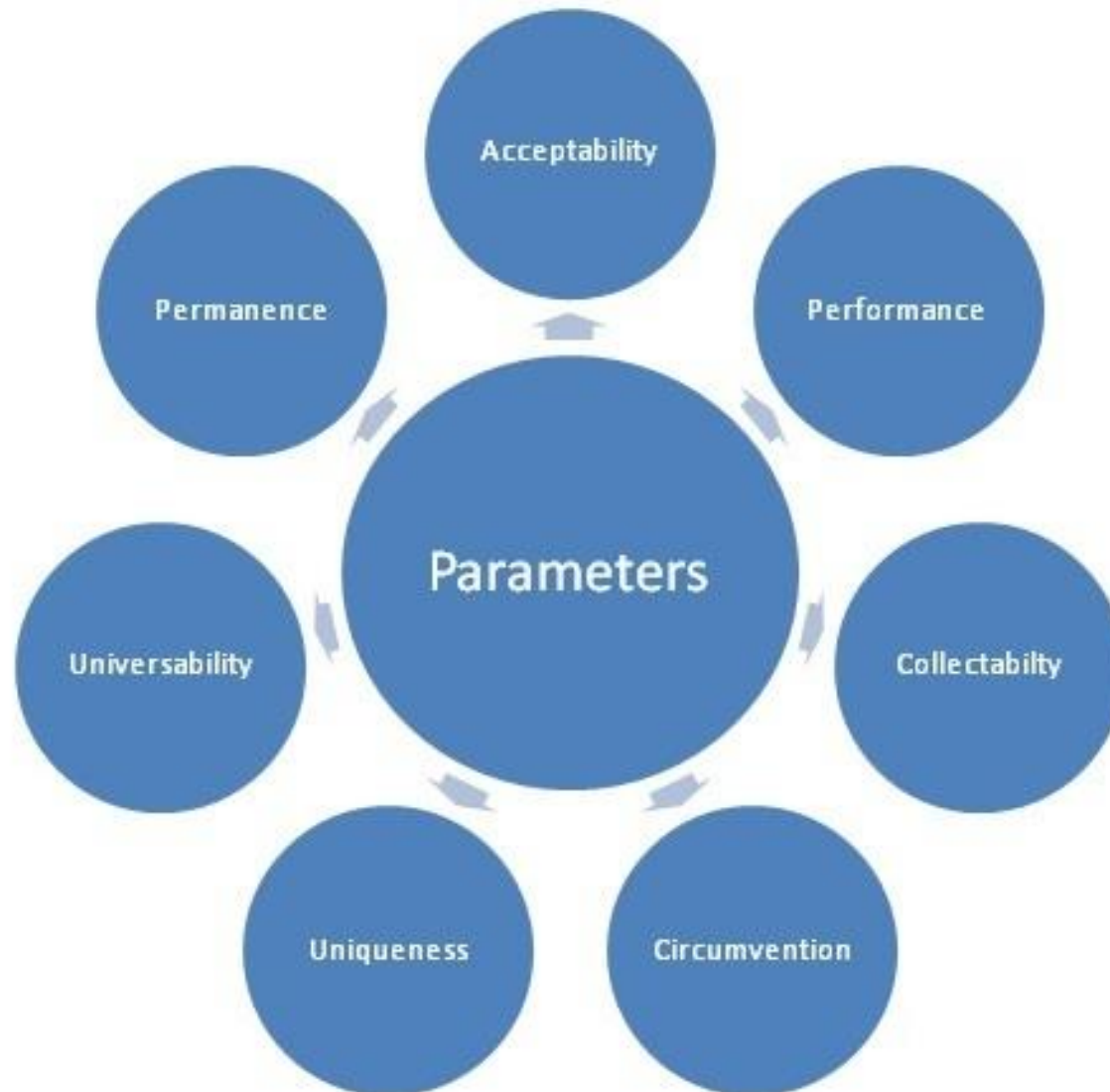


Confidentiality, Privacy, Anonymity or Pseudonymity, Unobservability, Unlinkability

Claus Vielhauer, Jana Dittmann, Stefan Katzenbeisser: Design Aspects of Secure Biometric Systems and Biometrics in the Encrypted Domain, In: Patrizio Campisi (Eds.): Security and Privacy in Biometrics, Springer London, ISBN 978-1-4471-5229-3,



General Criteria for Evaluation of Biometric Methods



Application cases

- Security
 - Border Control
 - Surveillance
 - Crime Scene Traces
 - Access Protection
 - ...
- Convenience
 - Recognition = Understanding
 - Personalization of services or devices
 - Situation awareness
 - Management issues such as time and attendance management
 - ...



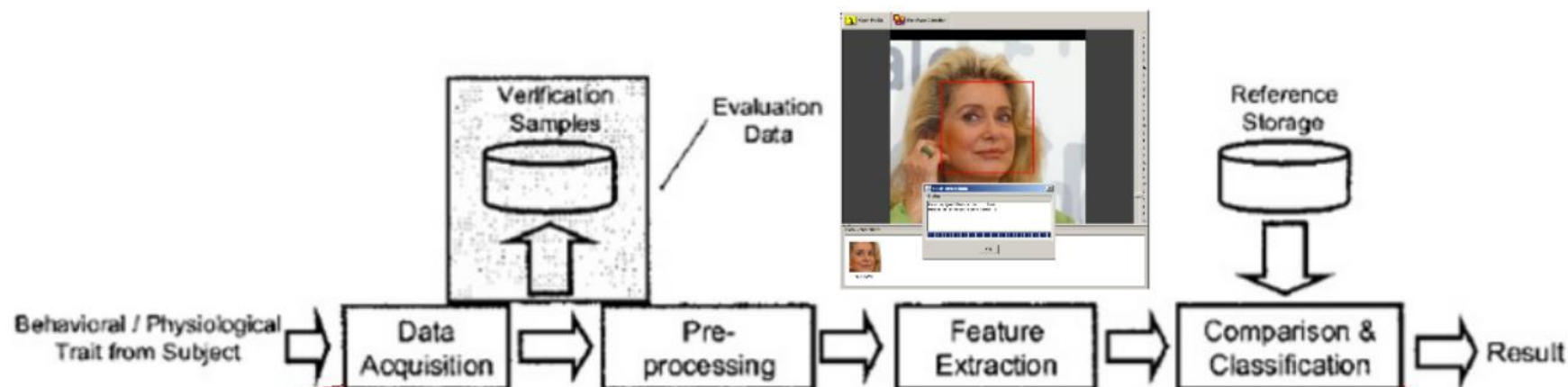
Face Biometrics: Tasks description

- to use the face detection and face recognition tool - «*Faint*» (the Face Annotation Interface) - to perform person identification on the the collection of face images - *the “Labeled faces in the wild” database* - from publicly available source;
- to analyse the efficiency of the system before and after the attack attempt using StirTrace on face images (FP/FN errors);
- to discuss the influence of different parameterizations (here ‘Maximum numbers of Eigenfaces used’) on the classification performance;
- to project the samples in the database to the characters of ‘Doddingtons Zoo’ and – if possible – to apply the ‘Doddingtons rules of thumb’ for the evaluation of the authentication performance.



Face Biometrics:

Biometric processing pipeline



"Labeled faces in the wild"
vs
Utrecht ECVP face database

Testing
and
Training
sets

Edit Region Properties		
Face	Person	Recognition Score
	unknown	-
	George_Pataki	68
	King_Abdullah_II	65
	Christine_Baumgartner	60
	Joseph_Biden	59
	Benjamin_Netanyahu	58
	Kurt_Warner	56
	Scott_Peterson	56
	Rainer_Schuetzler	55
	Martin_McGuinness	55
	Choi_Sun-ho	55
Minimum Scan Window		
New Person	Recognize	Delete Region

Is it necessary?

ACCESS DENIED

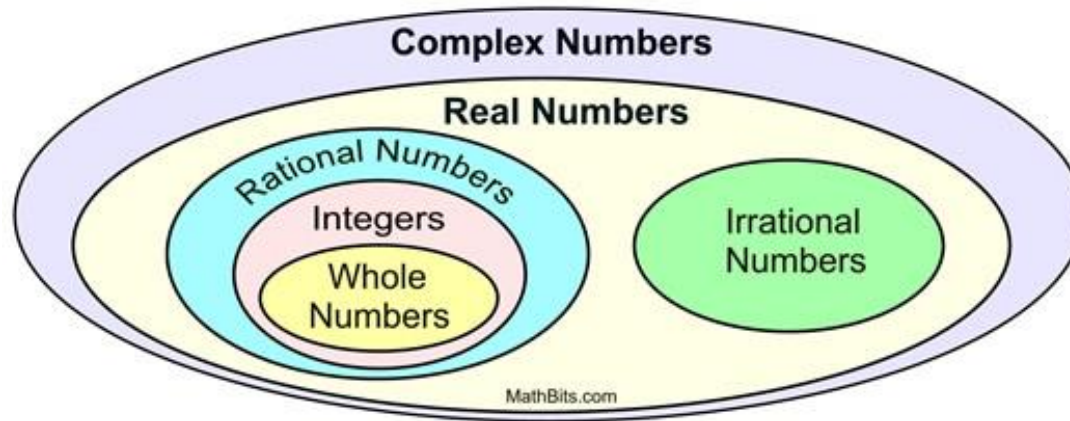
A green fingerprint graphic is centered in the background, partially obscured by the text 'ACCESS DENIED'. The fingerprint shows clear ridge patterns.

Mathematics

- Algebraic Number Theory
- Combinatorial Optimization



Algebraic Number Theory



- Lectures (In German) - 2 times a week
- Exercises – once a week
- Lecturer Dr. Kai-Uwe Schmidt
- Official web-page

<http://www-e.uni-magdeburg.de/kai-usch/lectures/AZT/>



Motivation



Problem 1: Solve the equation or prove, that it has no solutions:

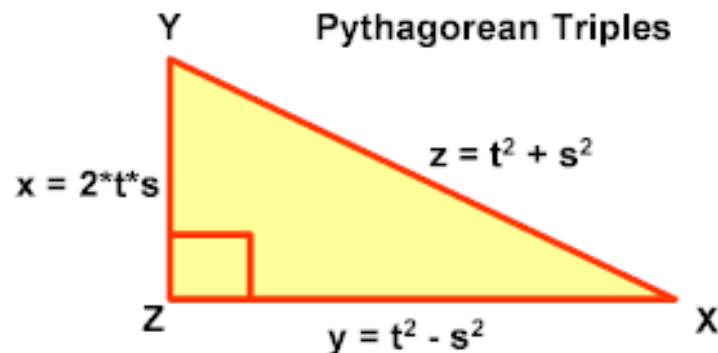
$$x^n + y^n = z^n, n \in \mathbb{N}; x, y, z \in \mathbb{Z}; xyz \neq 0$$

Problem 2: Solve the equation:

$$x^2 - n_0 y^2 = z, \text{ for fixed } n_0 \in \mathbb{Z}; x, y, z \in \mathbb{Z}$$

Problem 1

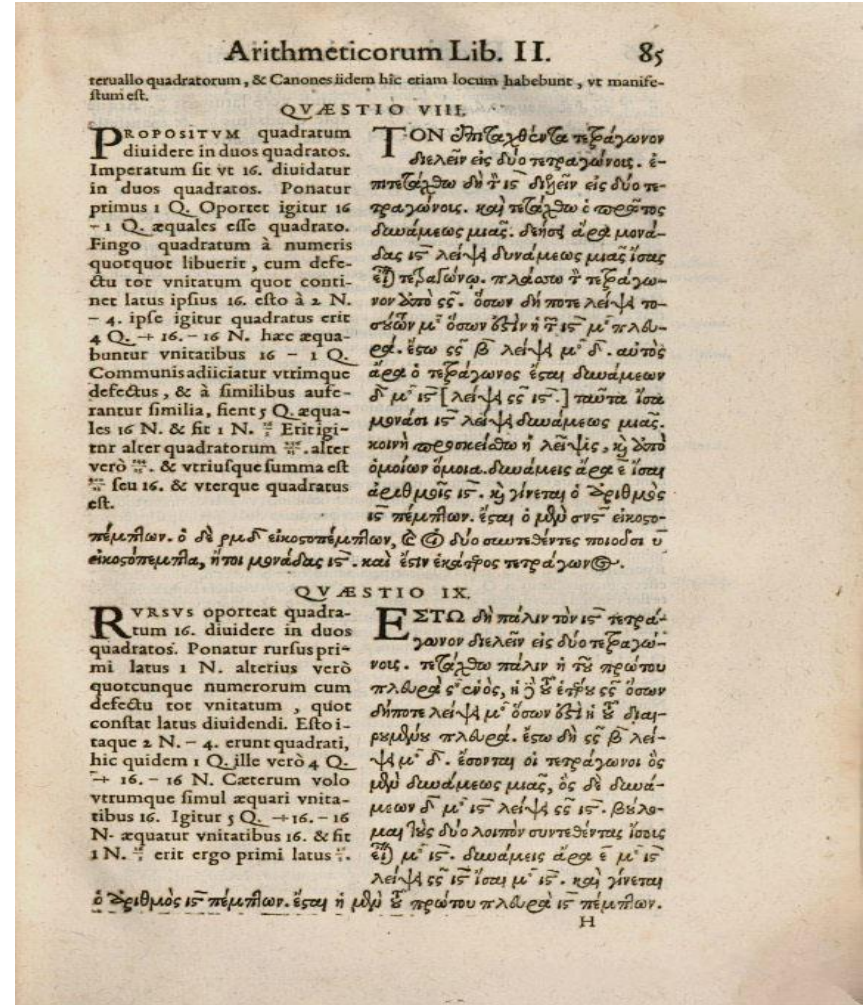
- So called Fermat's Last Theorem
- Firstly was stated in Ancient times as Pythagorean Triple problem (motivated by Pythagorean Theorem)



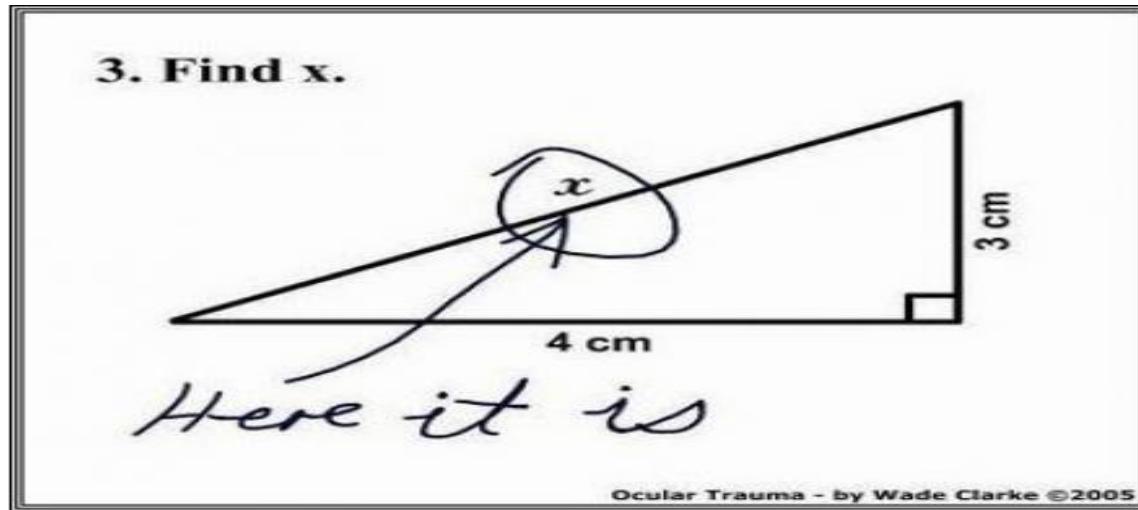
- Around 1637 was generalized by Fermat in the margin of his copy of the *Arithmetica* next to Diophantus' sum-of-squares problem

Problem 1

"It is impossible to separate a cube into two cubes, or a fourth power into two fourth powers, or in general, any power higher than the second, into two like powers. I have discovered a truly marvelous proof of this, which this margin is too narrow to contain."



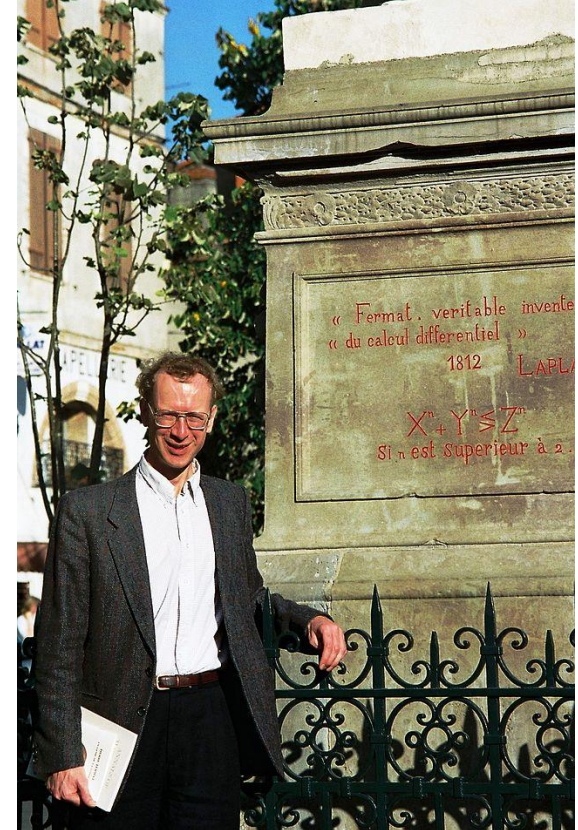
Problem 1



- Nobody knows, was it a Fermat's joke or did he really prove it
- Mathematicians need approximately 350 years to prove this fact
- Thereto they've constructed such branches of Algebra as Finite Fields and Galois Theory

Problem 1

- Finally the general case of this problem was solved in 1996 by British mathematician Andrew John Wiles
- He proved, that equation
$$x^n + y^n = z^n, n \in \mathbb{N}; x, y, z \in \mathbb{Z}; xyz \neq 0$$
Has no solutions for $n \in \mathbb{N}, n > 2$



Problem 2



- Problem 2: Solve the equation:

$$x^2 - n_0 y^2 = z, \text{ for fixed } n_0 \in \mathbb{Z}; x, y, z \in \mathbb{Z}$$

Problem 2

Example 1

- Solve the following equation in $\mathbb{Z}$:

$$x^2 - y^2 = 5$$

$$\Rightarrow (x - y)(x + y) = 5 | \text{Both part factorization (in } \mathbb{Z} \text{)}$$

$$\Rightarrow ((x - y), (x + y)) \in \alpha\{(1,5), (5,1)\} | \alpha \text{ is invertible (in } \mathbb{Z} \text{)}$$

$$\Rightarrow \text{Since invertible elements (units) in } \mathbb{Z} \text{ are } \pm 1, \text{ we obtain}$$

$$\Rightarrow ((x - y), (x + y)) \in \pm\{(1,5), (5,1)\}$$

$$\Rightarrow (x, y) \in \{(3,2), (-3,2), (3,-2), (-3,-2)\}$$

- We are able to solve this equation, since we have a unique prime factorization in $\mathbb{Z}$ and we know all the units in $\mathbb{Z}$.

Problem 2

Example 2

- And what about following equation in $\mathbb{Z}$:

$$x^2 + 5y^2 = 6$$

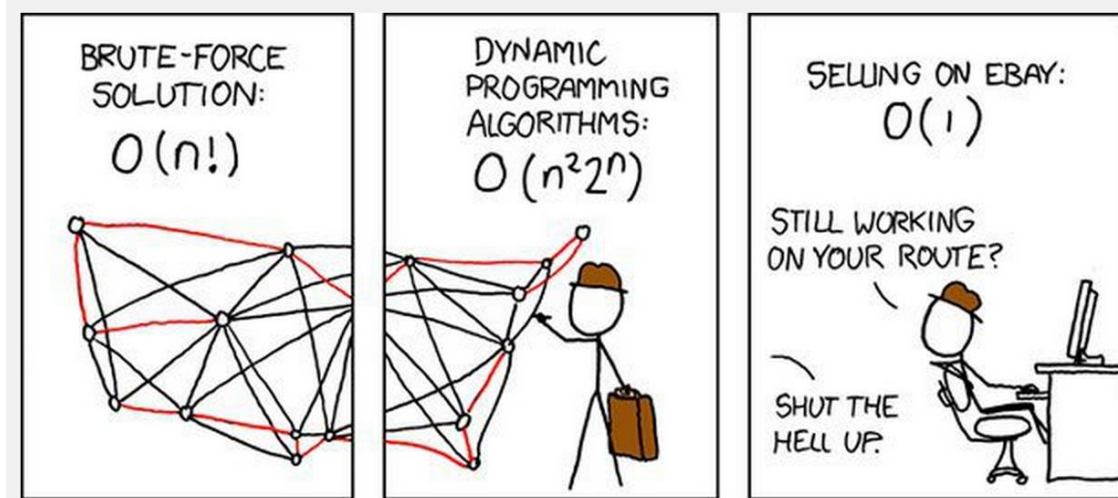
$$\Rightarrow (x - \sqrt{-5}y)(x + \sqrt{-5}y) = 6 = 2 \cdot 3 = (1 - \sqrt{-5})(1 + \sqrt{-5})$$

- Factorization is not Unique! How can we repair it?
- How can we find units in $\mathbb{Z}[\sqrt{-5}]$?

Problem 2

- To answer these and some more general questions we have to study following chapters:
 1. Finite Fields' Theory and Galois Theory
 2. Number Fields' and Number Rings' Theory
 3. Special chapters of Commutative Algebra
 4. Embedding's' Theory
 5. Units in Number Rings

Combinatorial Optimization



- Lectures (In German) - 2 times a week
- Exercises – once a week
- Lecturer Prof. Dr. Volker Kaibel
- Official web-page

<https://www.math.uni-magdeburg.de/institute/imo/teaching/wise14/kombopt/>



Motivation

- Shortest Path Problem

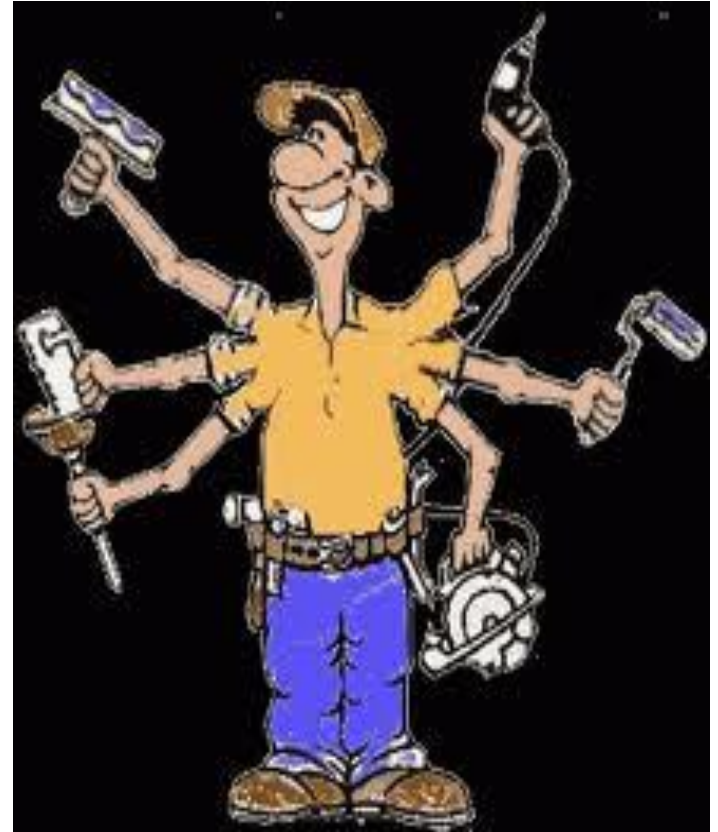
Find the shortest path between two cities on a road map.



Motivation

- Solve Assignment Problem

There are a number of *agents* and a number of *tasks*. Any agent can be assigned to perform any task, incurring some *time* that may vary depending on the agent-task assignment. It is required to perform all tasks by assigning exactly one agent to each task and exactly one task to each agent in a given time.



General Approach

- Construct mathematical models of each problem, using combinatorial structures
- Run some “clever” (polynomial) algorithm on the constructed combinatorial structure

Shortest Path Problem

Problem 1.11 (Kürzeste-Wege Problem)

Instanz: *Digraph* $D = (V, A)$, $c \in \mathbb{Q}^A$, $s, t \in V$

Aufgabe: *Finde einen s - t -Weg kürzester c -Länge oder stelle fest, dass es keinen s - t -Weg in D gibt.*

Algorithmus 1.36 (Kürzeste Wege in azyklischen Digraphen)

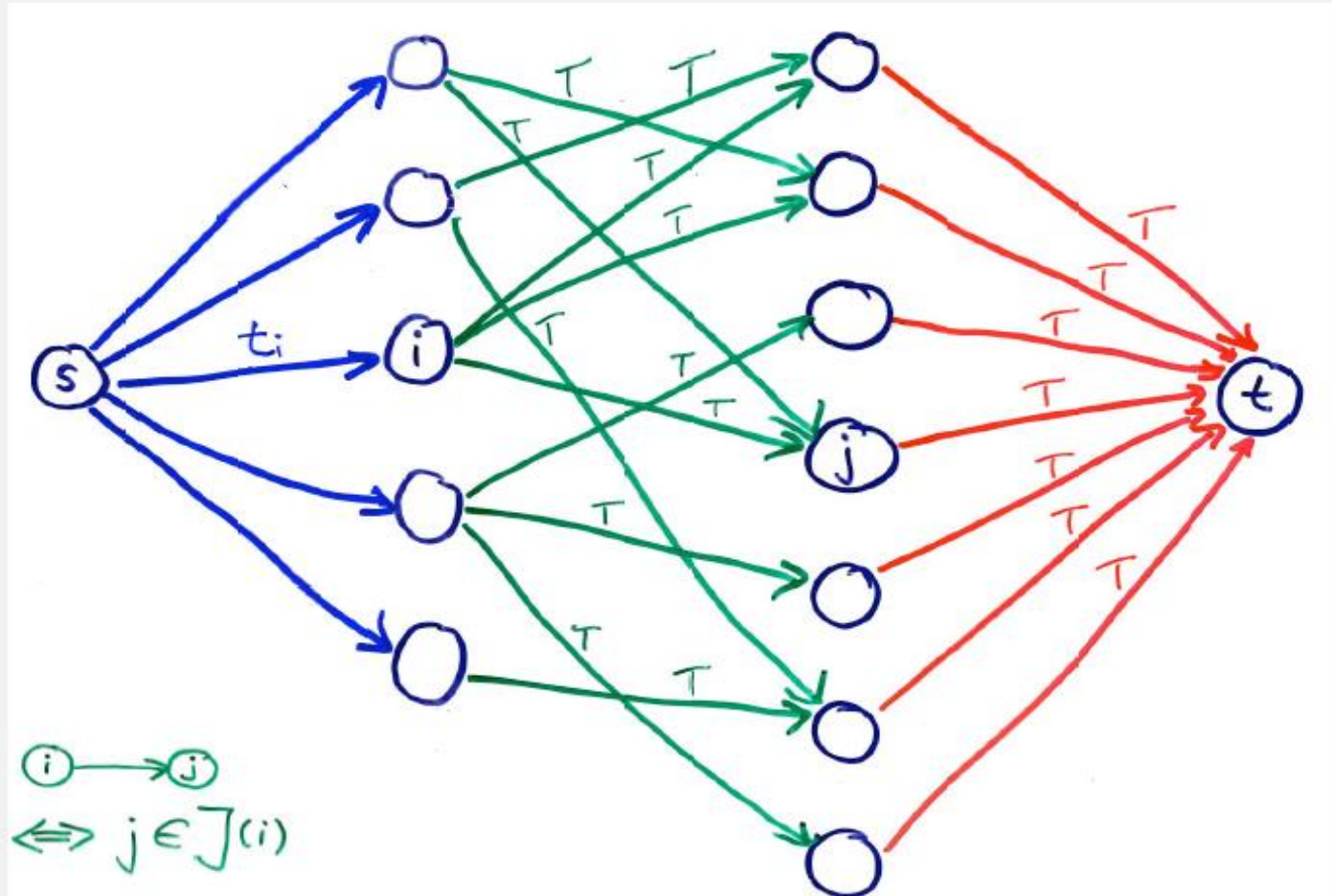
Algorithmus 1.38 (Dijkstra-Algorithmus)

Der Bellman-Ford Digraph

0/1-Knapsack

Assignment Problem

Job-Assignment als Flussproblem



Assignment Problem

FORD & FULKERSON (1954):

(Beschreiben das Problem, das T. E. Harris formuliert hatte.)

Consider a rail network connecting two cities by way of a number of intermediate cities, where each link of the network has a number assigned to it representing its capacity. Assuming a steady state condition, find a maximal flow from one given city to the other.

FORD & FULKERSON (1962):

(Über das Max-Flow Problem.)

It was posed to the authors in the spring of 1955 by T.E. Harris, who, in conjunction with General F.S. Ross (Ret.), had formulated a simplified model of railway traffic flow, and pinpointed this particular problem as the central one suggested by the model [11].

Combinatorial Optimization

- To answer these and some more general questions we have to study following chapters:
 1. Dynamic Programming
 2. Flows and Circulations
 3. Matchings
 4. Matroids

JUST DO IT.

